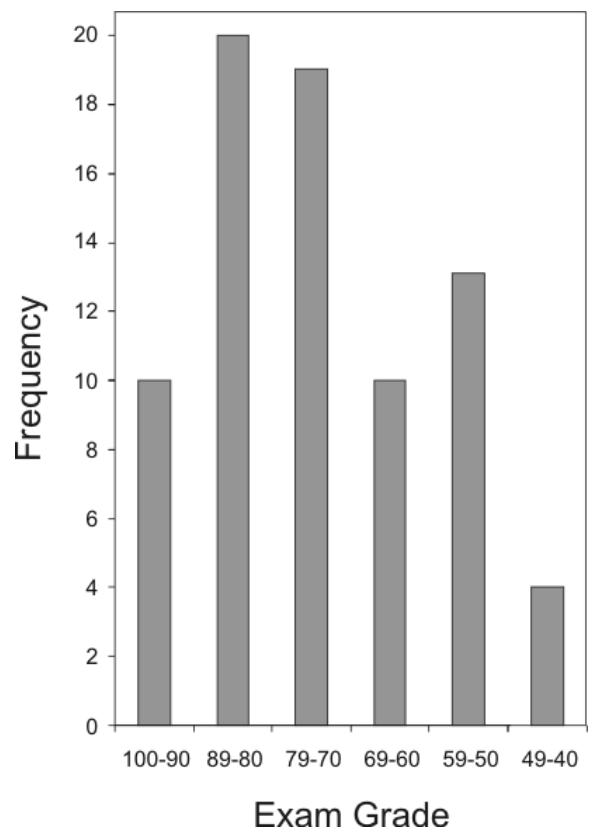


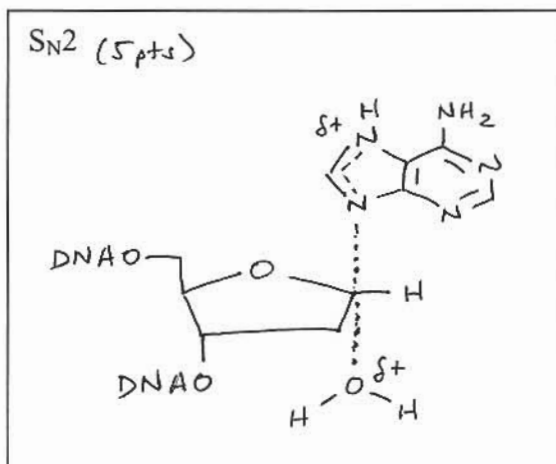
**Exam 3
Answer Key**

Exam 1 Mean: 75
Exam 1 Median: 74
Exam 1 St. Dev.: 13

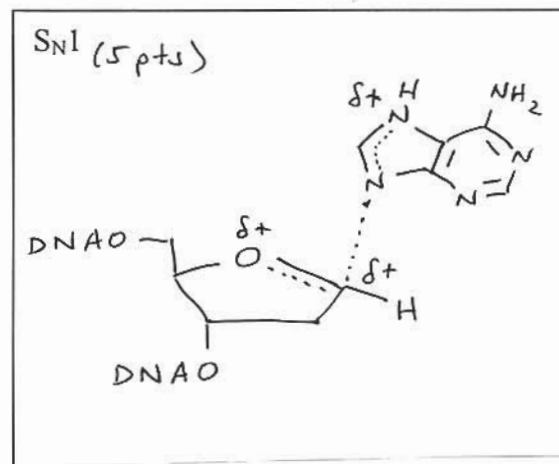


MIDTERM EXAM 3
ANSWER KEY

1. a)

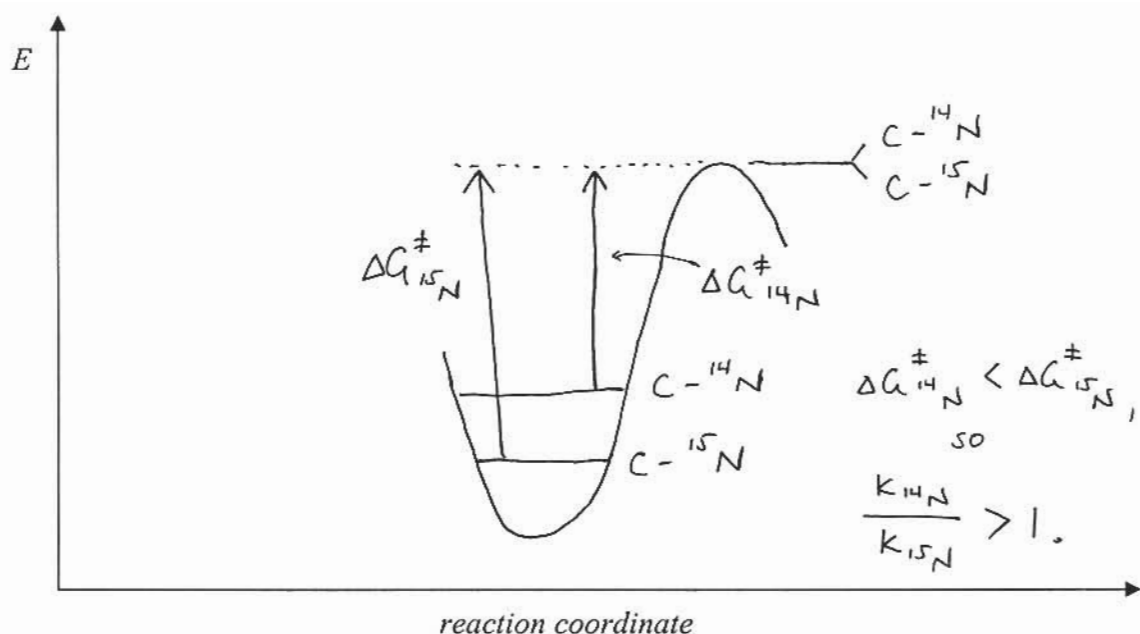


- CRITICAL FEATURES:
- CONNECTIVITY (2 PTS)
 - NUCLEOPHILE, LEAVING GROUP ANTIPERIPHERAL (2 PTS)
 - PARTIAL CHARGE (1 PT)



- CRITICAL FEATURES:
- CONNECTIVITY (3 PTS)
(PARTIAL BOND TO OXYGEN NOT GRADED)
 - DEFORMATION AT C₁ (1 PT)
 - PARTIAL CHARGE (1 PT)
(AGAIN, OXYGEN NOT GRADED)

b) THE $C-^{14/15}N$ BOND IS BROKEN IN THE TRANSITION STATE, SO THIS PROBLEM INVOLVES A PRIMARY ISOTOPE EFFECT. IN THE GROUND (BOUND) STATE, THE HEAVIER REDUCED MASS HAS A LOWER ~~ZERO-POINT ENERGY~~ ZERO-POINT ENERGY, BUT IN THE EXCITED STATE, EYRING THEORY SAYS $v=0$, $C-^{14}N$ & $C-^{15}N$ ENERGIES ARE EQUAL.



- 3 PTS FOR VIBRATION IN RXN COORDINATE (PRIMARY KIE);
 - 3 PTS FOR ZPE (C-¹⁴N) > ZPE (C-¹⁵N)
 - 2 PTS FOR ILLUSTRATING ΔG‡_{15N} > ΔG‡_{14N}
 - 3 PTS FOR ZPE (C-¹⁴N)[‡] = ZPE (C-¹⁵N)[‡] (EYRING)
- 10 PTS TOTAL.

c)

$$\frac{k_{14N}}{k_{15N}} = \frac{e^{-\Delta G_{14N}^{\ddagger}/RT}}{e^{-\Delta G_{15N}^{\ddagger}/RT}} = e^{\frac{\Delta G_{15N}^{\ddagger} - \Delta G_{14N}^{\ddagger}}{RT}}$$

$$= e^{\frac{\Delta ZPE(C-^{14/15}N)}{RT}}$$

$$ZPE(C-^{14}N) = \frac{1}{2} h(c)\nu ; \quad \nu(C-^{14}N) = 1080 \text{ cm}^{-1}$$

$$= 6.46 \text{ kJ/mol}$$

$$\nu(\text{C-}^{15}\text{N}) = \left[\nu(\text{C-}^{14}\text{N}) \right] \frac{\nu(\text{C-}^{15}\text{N})}{\nu(\text{C-}^{14}\text{N})} = \left[\nu(\text{C-}^{14}\text{N}) \right] \sqrt{\frac{\mu_{\text{C-}^{14}\text{N}}}{\mu_{\text{C-}^{15}\text{N}}}}$$

$$\sqrt{\frac{\mu_{\text{C-}^{14}\text{N}}}{\mu_{\text{C-}^{15}\text{N}}}} = \sqrt{\frac{\frac{(12)(14)}{12+14}}{\frac{(12)(15)}{12+15}}} = \sqrt{0.969} = 0.984$$

$$\nu(\text{C-}^{15}\text{N}) = (0.984) \nu(\text{C-}^{14}\text{N})$$

$$= ~~1062~~ 1062 \text{ cm}^{-1}$$

$$\text{ZPE}(\text{C-}^{15}\text{N}) = ~~6.36~~ 6.36 \text{ kJ/mol}$$

$$\Delta\text{ZPE} = 0.10 \text{ kJ/mol}$$

$$\left(\frac{k_{14\text{N}}}{k_{15\text{N}}} \right)_{\text{max}} = e^{\frac{0.10 \text{ kJ/mol}}{RT}} = \boxed{1.041}$$

{ 10 PTS FOR "1.04", OR "1.040", "1.041" OR "1.042". OR }

{ 5 PTS FOR CORRECT ANSWER BETWEEN 1.030 AND 1.050. }

{ 2 PTS FOR CALCULATING ν_{ZPE} FROM $\sqrt{\text{REDUCED MASS}}$ }

{ 1 PT FOR CALCULATING REDUCED MASSES CORRECTLY }

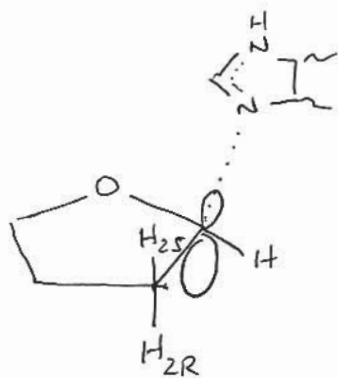
{ 1 PT FOR CALCULATING ZPE'S FROM ν_{ZPE} }

{ 1 PT FOR CALCULATING $\frac{k_{14\text{N}}}{k_{15\text{N}}}$ FROM $e^{\Delta\text{ZPE}/RT}$ }

d) i. $S_{\text{N}}1$. THE REST OF THE PROBLEM EXPLAINS WHY.

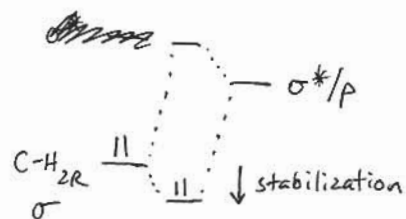
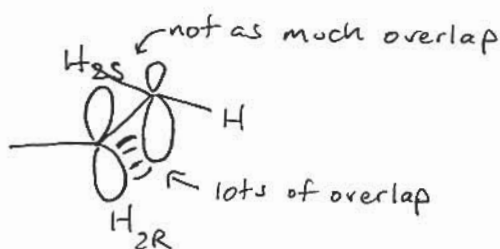
5 POINTS.

d) ii. IF YOU CHOSE S_N1 (THE CORRECT ANSWER) in (i),



AT TRANSITION STATE, EMPTY CATIONIC p -ORBITAL HASN'T FULLY FORMED FROM σ^* ANTIBONDING ORBITAL, AND THERE'S STILL MORE EMPTY ORBITAL DENSITY BELOW THE C_1 THAN ABOVE IT. SO,

THERE IS GREATER HYPERCONJUGATION BETWEEN H_{2R} AND σ^*/p THAN H_{2S} AND σ^*/p .



AS A RESULT, $C-H_{2R}$ IS WEAKER IN TRANSITION STATE THAN $C-H_{2S}$, AND SHOULD HAVE LOWER VIBRATIONAL FREQUENCY.

5 POINTS FOR HYPERCONJUGATION / OVERLAP OF $C-H_{2R}$ WITH σ^*/p OF LEAVING GROUP

5 POINTS FOR STRESSING BETTER SPATIAL OVERLAP FOR $C-H_{2R}$ THAN $C-H_{2S}$

5 POINTS FOR CONNECTING THIS TO DRAWING OF TS.

15 POINTS TOTAL.

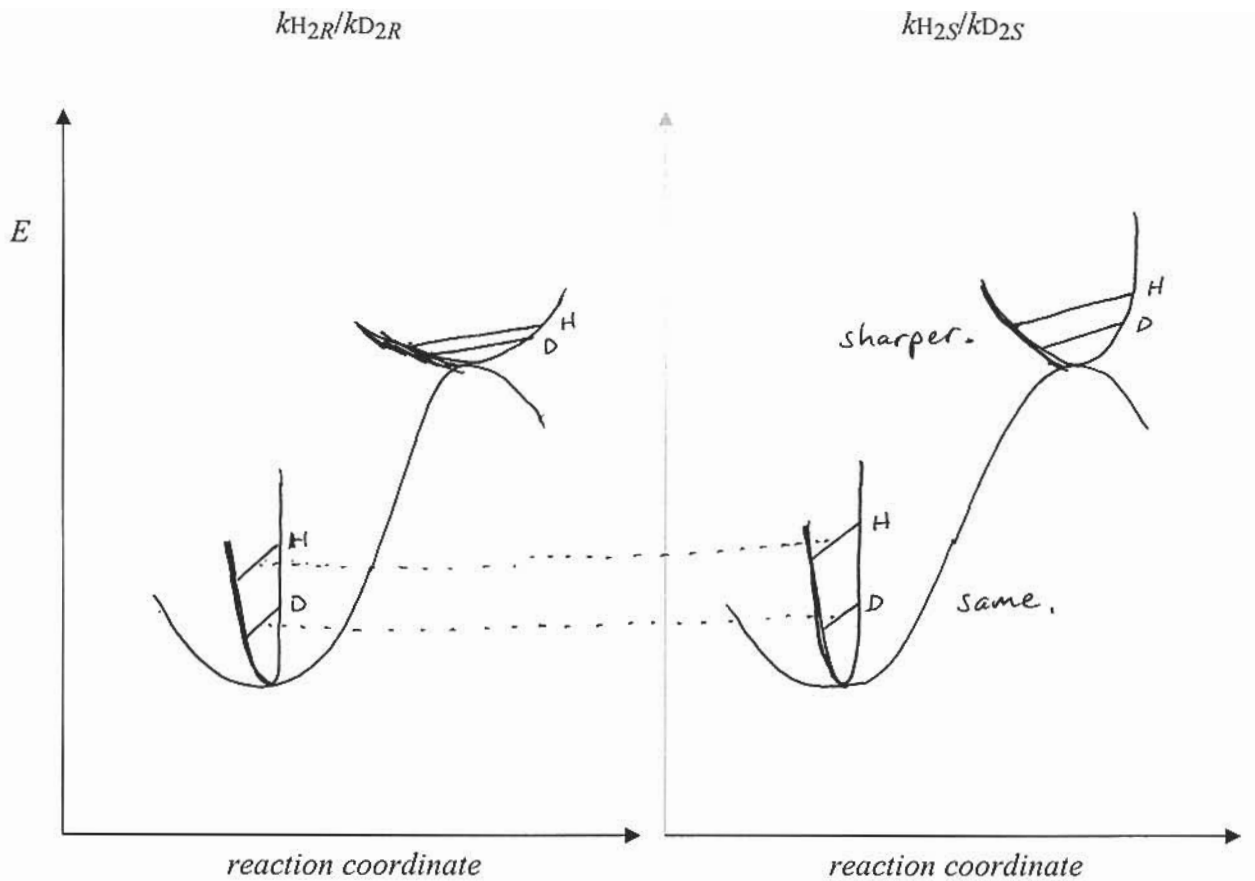
IF YOU CHOSE S_N2 IN (i), YOU HAVE A MUCH HARDER ARGUMENT TO MAKE; YOU NEED TO EXPLAIN WHY, GEOMETRICALLY, $C-H_{2R}$ INTERACTS w/ TRANSITION STATE MORE THAN $C-H_{2S}$. SINCE S_N2 TRANSITION STATE IS SYMMETRIC (ANTIPERIPLANAR), DON'T KNOW HOW YOU MIGHT DO THIS, BUT FOR ANY ANSWER,

5 POINTS FOR STRESSING SPATIAL DIFFERENCE BETWEEN $C-H_{2R}$ & $C-H_{2S}$; RELATED TO C_1 - BUT C_1 MUST BE ANTIPERIPLANAR

5 POINTS FOR RELATING ABOVE TO ORBITAL INTERACTION / FREQUENCY-RELATED DIFFERENCE

5 POINTS FOR POINTING DIFFERENCE OUT ON DRAWING - BUT DRAWING MUST BE CORRECT.

d) iii. HYPERCONJUGATIVE EFFECT WEAKENS $C-H_{2R}$ MORE THAN $C-H_{2S}$ IN TRANSITION STATE, BUT NO INTERACTION IN GROUND STATE. SO GROUND STATE C-H VIBRATIONAL WELLS SHOULD BE THE SAME FOR H_{2R} & H_{2S} , BUT TRANSITION-STATE $C-H_{2R}$ WELL WILL BE BROADER.



- 3 POINTS FOR GRAPHS HAVING SAME BACKBONE TRACE,
- 3 POINTS FOR SECONDARY KIE (WELLS DRAWN OUT OF PLANE)
- 3 POINTS FOR GRAPHS HAVING SAME GROUND-STATE ENERGY, DIAGRAM, OR FOR FOLLOWING EXPLICIT EXPLANATION FROM PART (ii) ABOUT WHY DIFFERENT,
- 3 POINTS FOR TRANSITION-STATE WELLS BROADER THAN GROUND-STATE WELLS.
- 4 POINTS FOR 2R TRANSITION STATE WELL BROADER THAN 2S TRANSITION STATE.
- 2 POINTS FOR ENERGY LEVELS (BOTH) LOWER IN 2R WELL THAN 2S;
- 2 POINTS FOR $\Delta ZPE_{2R} < \Delta ZPE_{2S}$ (2R LEVELS CLOSER THAN 2S LEVELS) IN TRANSITION STATE.

2. a) Tunneling effects are possible for any reaction step in which a very small motion of a hydrogen atom occurs and nothing else. Under these circumstances, H can tunnel through the barrier to motion along the reaction coordinate instead of passing over it. In this reaction,

Step A doesn't involve hydrogen. No tunneling effect possible.

Step B involves H motion, but the H₂ comes from a long way away. Tunneling is unlikely.

Step C splits the H-H bond. In the product, the H's don't look much farther away from each other than they were in the starting material. Tunneling in this step is likely.

Step D moves an H atom to carbon, with no other bonds changing. There are some other very small motions in the molecule, but I would say tunneling is possible here.

Step E involves solvent, not H motion. No tunneling possible.

Step F involves H motion, but there is a lot of other motion here too. Tunneling seems possible, but not likely, here.

Step G involves solvent motion. No tunneling possible.

Rubric for 2(a):

5 points for **C**.

5 points for **D**.

3 points for **F**.

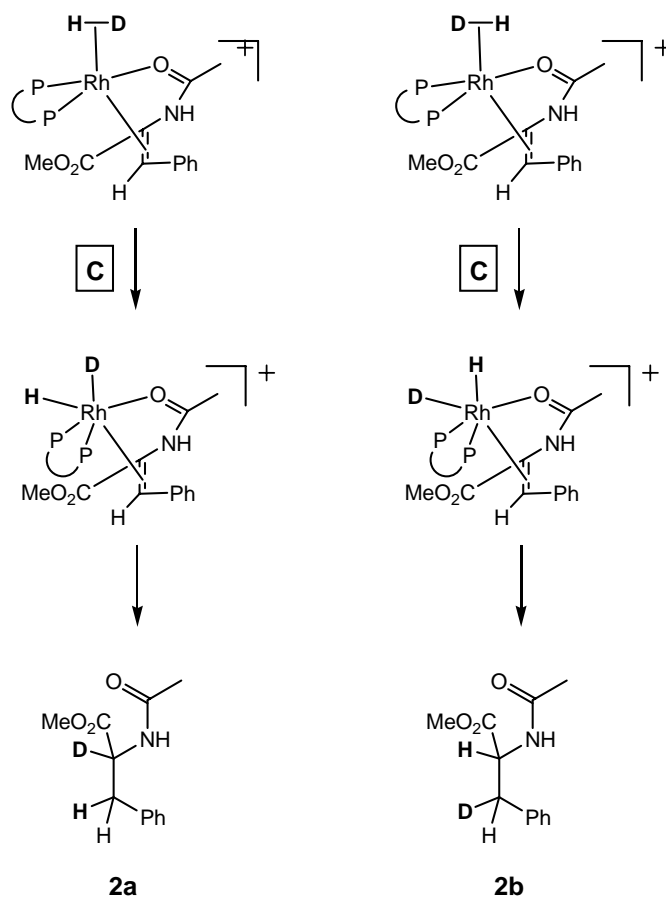
- b) Deuterium tunnels more slowly than hydrogen. As a result, $k_{\text{H}_2}/k_{\text{D}_2}$ should *always* be greater than one.

Rubric for 2(b):

4 points for each box.

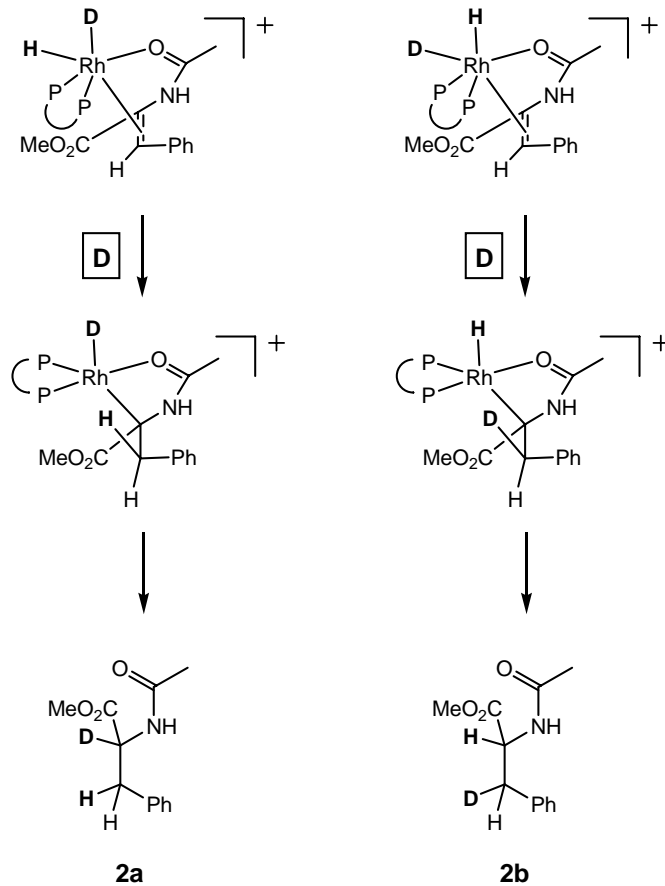
- c) Using HD instead of D₂ as a reactant introduces an interesting new variable for each step of the reaction: If there is a choice between H or D moving to make product, which one moves, and what products are formed?

Step C:



In the case of step C, both atoms move, and it is likely that the pathways are not distinguished by the isotope orientation at the beginning. So, **2a/2b = 1**.

Step D:



In the case of step **D**, only one H/D moves. If the H moves, **2a** is produced; if the D moves, **2b** is produced. H tunnels faster than D, so $2a/2b > 1$.

Rubric for 2(c):

6 points for each box.